NAM2023 — July 7, 2023 Cardiff University

Testing the Cosmological Principle with *Rubin LSST*

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To advertise the projects :

DESC Projects #252 Testing the isotropy of the universe #253 Testing the homogeneity of the cosmic matter field #254 Testing tilted cosmology



Cosmology some time ago

Excerpt from Conversation: Salam, Sciama, Witten and Budinich



https://www.youtube.com/watch?v=AmUI2qf9uyo

Abdus Salam: Don't you find Dennis, you and I are old people, that things have changed so much in our lifetime...

Dennis Sciama: The new deal in astrophysics really began in 1952... at the time it [became] clear that one could see objects in the radio that would be too far away to be visible optically so you could survey the Universe out to much greater distances.

Cosmology some time ago

Excerpt from Conversation: Salam, Sciama, Witten and Budinich



https://www.youtube.com/watch?v=AmUI2qf9uyo

$$ds^{2} = g_{\mu\nu}dx^{\mu}dx^{\nu} = -dt^{2} + a^{2}(t) d\Sigma^{2}$$

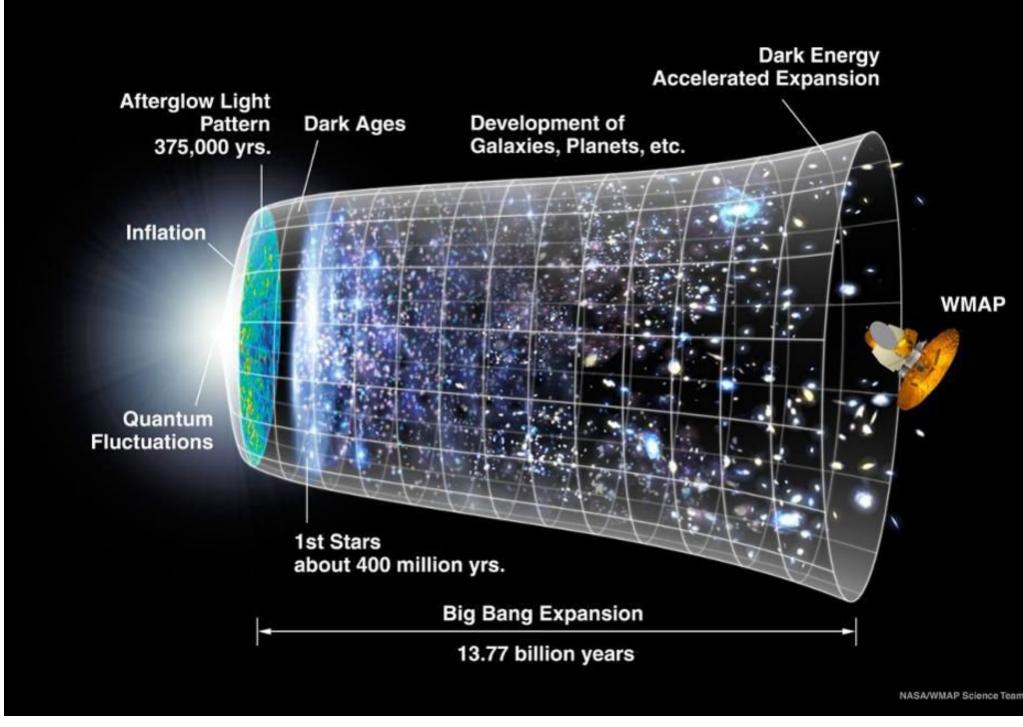
 $g_{\mu\nu}$ is chosen to be spatially symmetric thereby fulfilling homogeneity and isotropy

$$R_{\mu\nu} + \frac{1}{2} R g_{\mu\nu} + \lambda g_{\mu\nu} = 8\pi G T_{\mu\nu}$$

 $T_{\mu\nu}$ is an ideal fluid that in the homogeneous limit reduces to $diag(-\rho, p, p, p)$

Observations constrain the energy content in our universe using $1 = \Omega_{\gamma} + \Omega_m + \Omega_{\Lambda} + \Omega_k$, $\Omega_i = \rho_i / \rho_{cr}$.

Cosmology today



Obligatory cosmology slide

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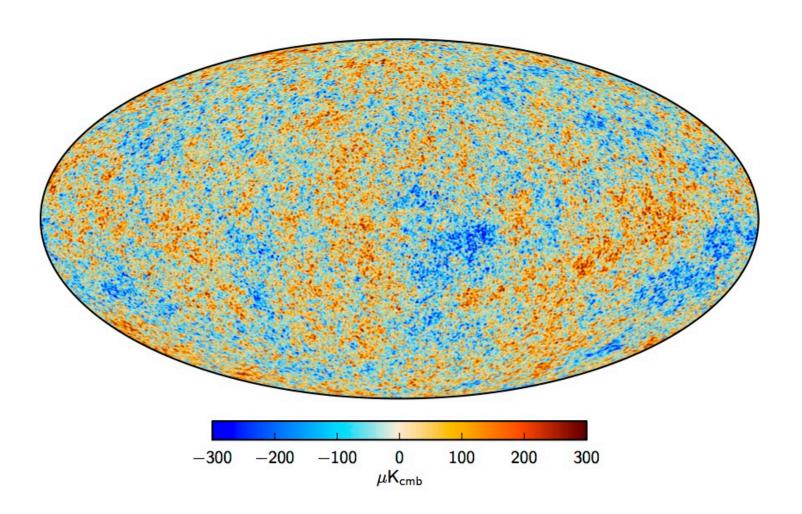
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WMAP

The Cosmological principle

Definitions from *Thoughts on the Cosmological Principle* - Schwarz [0905.0384]



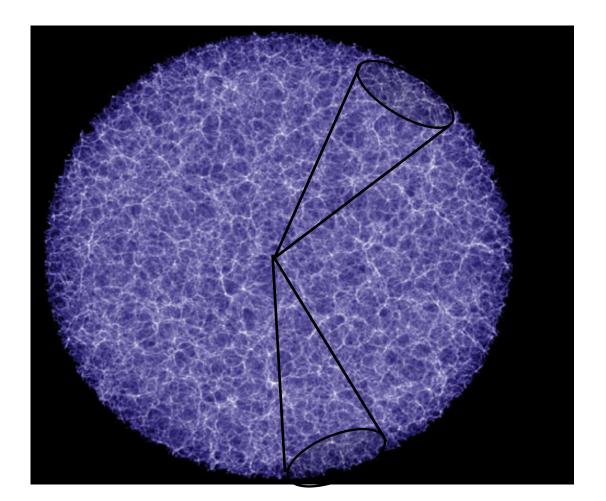
Fluctuations with $\ell > 1$:

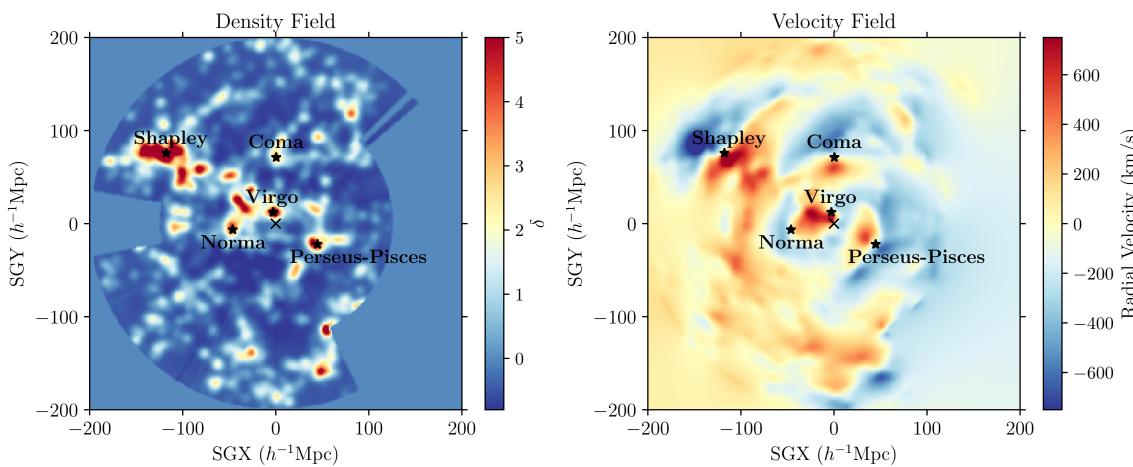
Statistically isotropic and Gaussian to high degree

 $\mathcal{O}(10^{-5})$ fluctuations, mostly primordial



"The distribution of light and matter in the Universe is statistically isotropic around any point, apart from anisotropies of local origin."





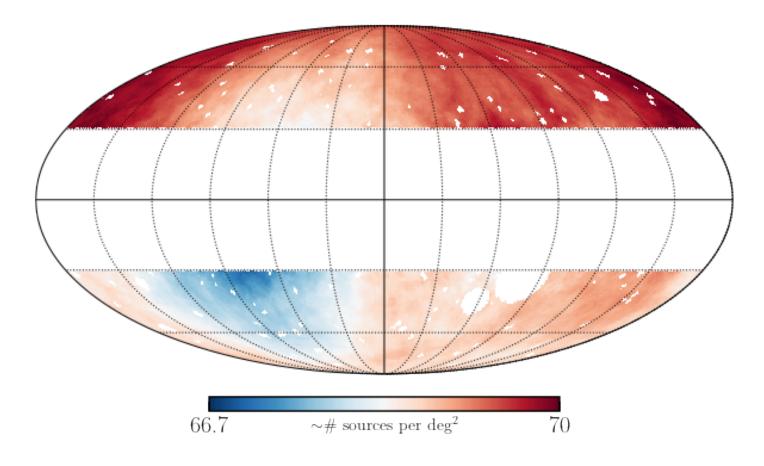
Boruah, Hudson Lavaux [19 [2.09383]

Testing the Cosmological principle with Rubin LSST

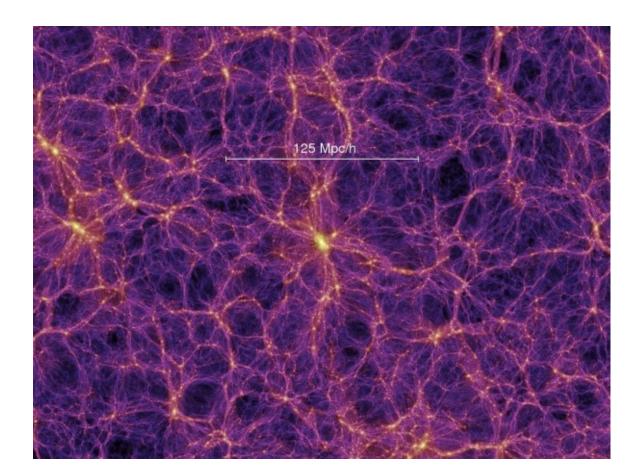
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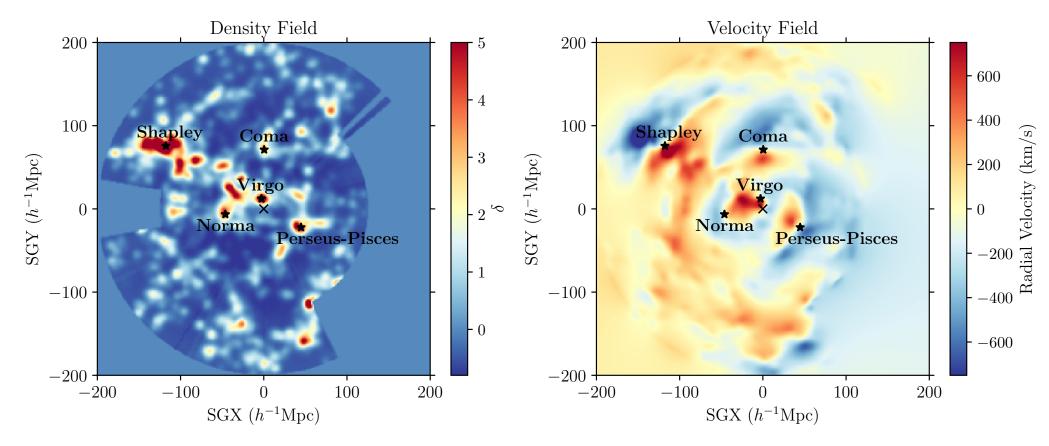
Isotropy

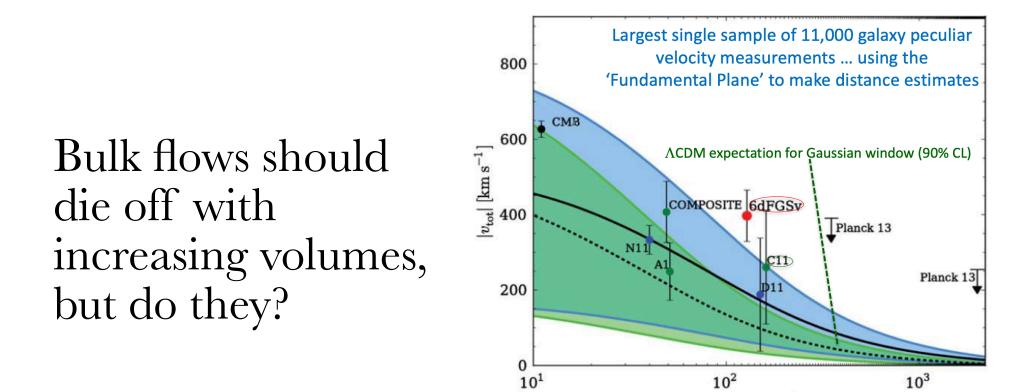


Homogeneity



DESC Project #252





Scale Radius $[h^{-1}]$ Mpc]

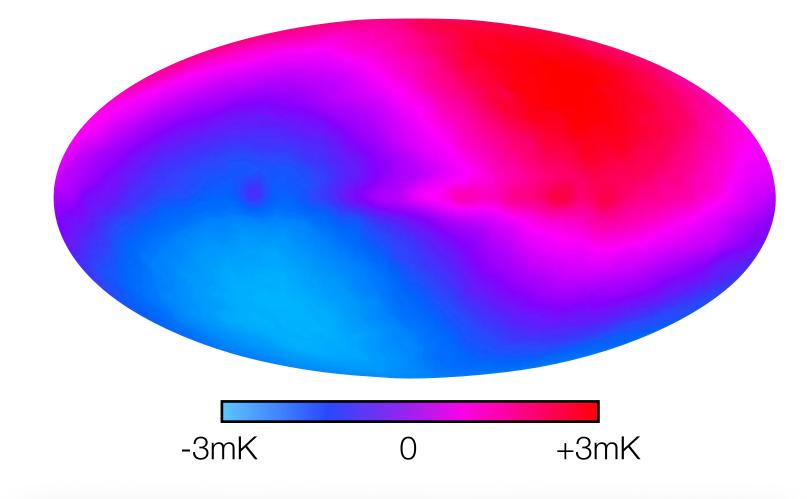


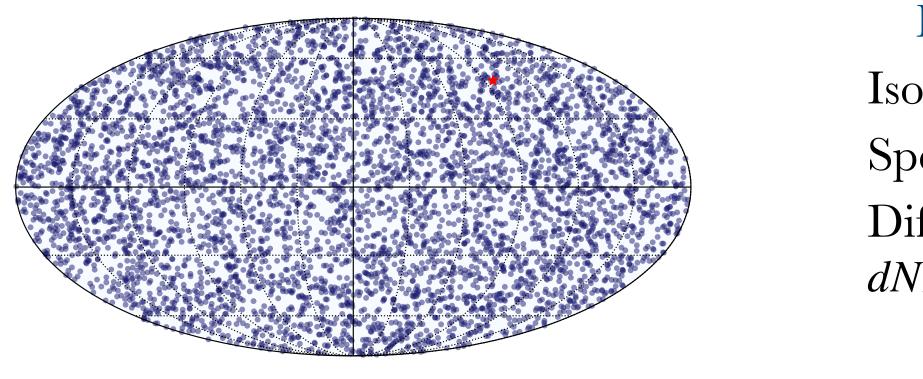
Table 3. Relative velocities involving the CMB frame, theGalactic centre, and the Local Group.

Relative velocity	Speed [km s ⁻¹]	<i>l</i> [deg]	b [deg]
Sun–CMB ^a	369.82 ± 0.11	264.021 ± 0.011	48.253 ± 0.005
Sun-LSRb $LSR-GCc$ $GC-CMBd$	17.9 ± 2.0 239 ± 5 565 ± 5	48 ± 7 90 265.76 ± 0.20	$23 \pm 4 \\ 0 \\ 28.38 \pm 0.28$
$ Sun-LG \stackrel{e}{\ldots} \dots \dots \\ LG-CMB \stackrel{d}{\ldots} \dots \dots $	299 ± 15 620 ± 15	98.4 ± 3.6 271.9 ± 2.0	-5.9 ± 3.0 29.6 ± 1.4

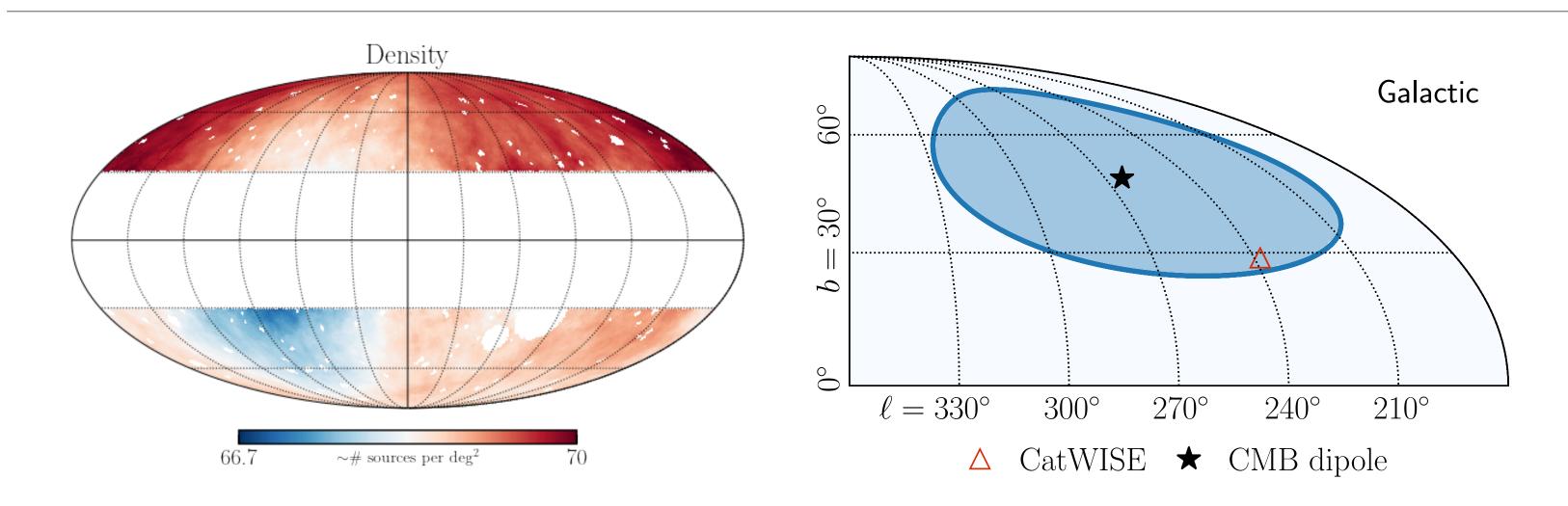
Magoulas et al. (2014) Proc.IAU 11 S308



DESC Project #252



Dipole in the number density with amplitude $[2 + x(1 + \alpha)] \cdot \beta$



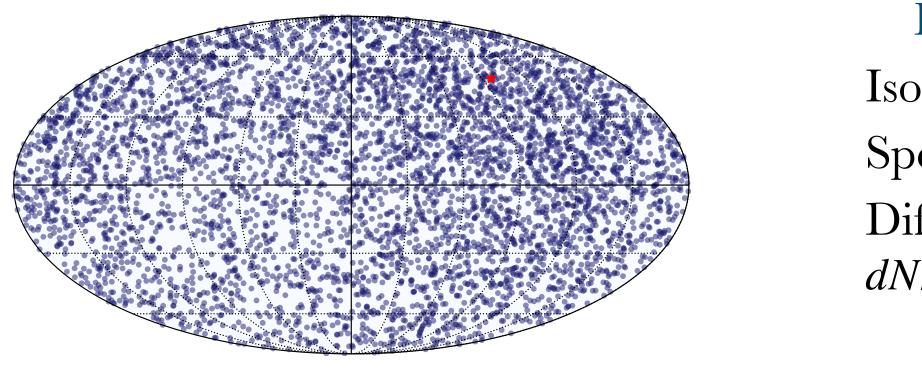
- Ellis, Baldwin (1984)
- Isotropic sample of objects on the sky
- Spectra are power laws in flux density $f_{\nu} \propto \nu^{-\alpha}$
- Differential number counts of flux-limited catalog follows $dN/d\Omega (f_{\nu} > f_{\nu}^{\min}) \propto (f_{\nu}^{\min})^{-x}$

Secrest, von Hausegger, Rameez, Mohayaee, Sarkar, Colin [2009.14826] Secrest, von Hausegger, Rameez, Mohayaee, Sarkar [2206.05624]

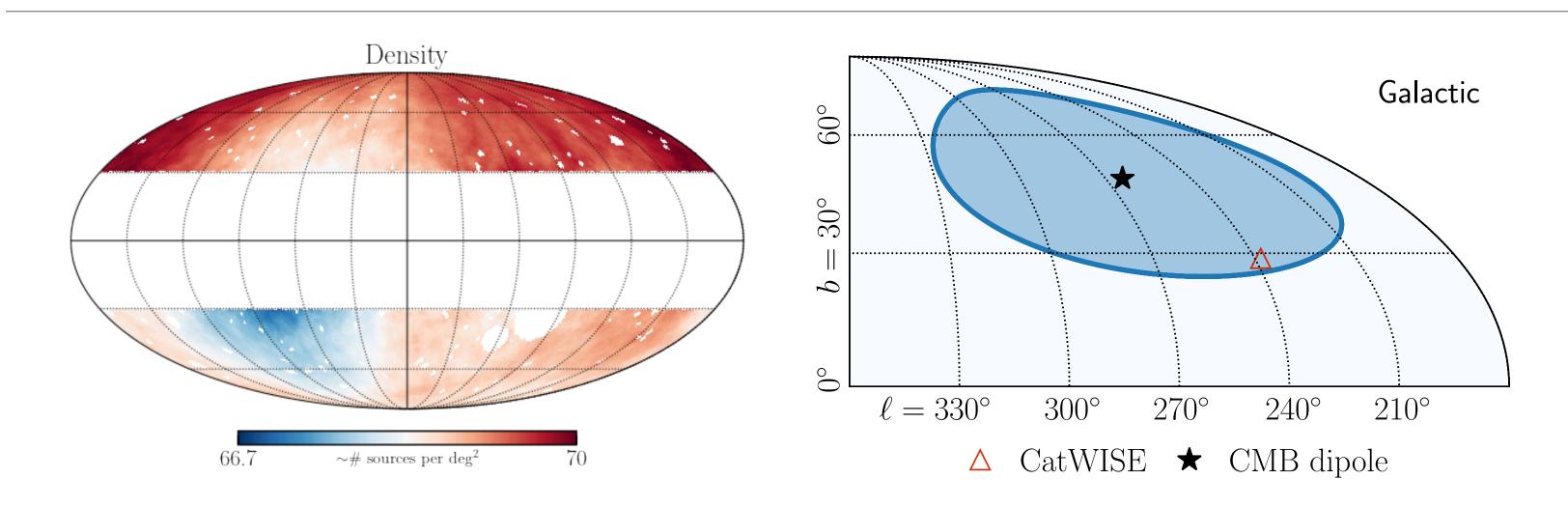




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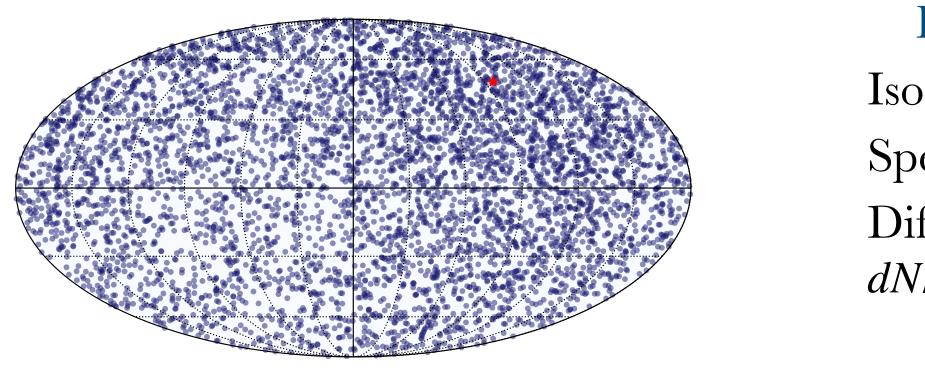
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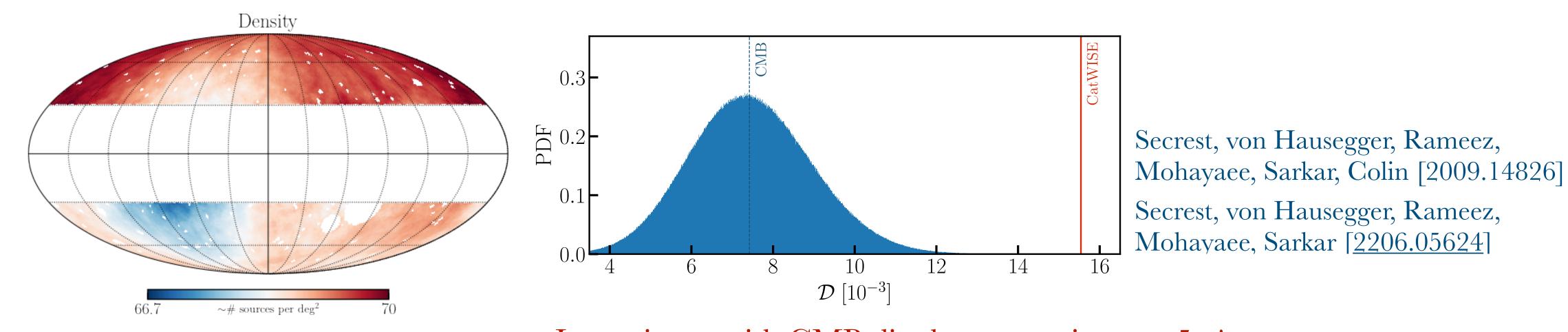
Secrest, von Hausegger, Rameez, Mohayaee, Sarkar, Colin [2009.14826] Secrest, von Hausegger, Rameez, Mohayaee, Sarkar [2206.05624]





DESC Project #252





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Dipole in the number density with amplitude $[2 + x(1 + \alpha)] \cdot \beta$

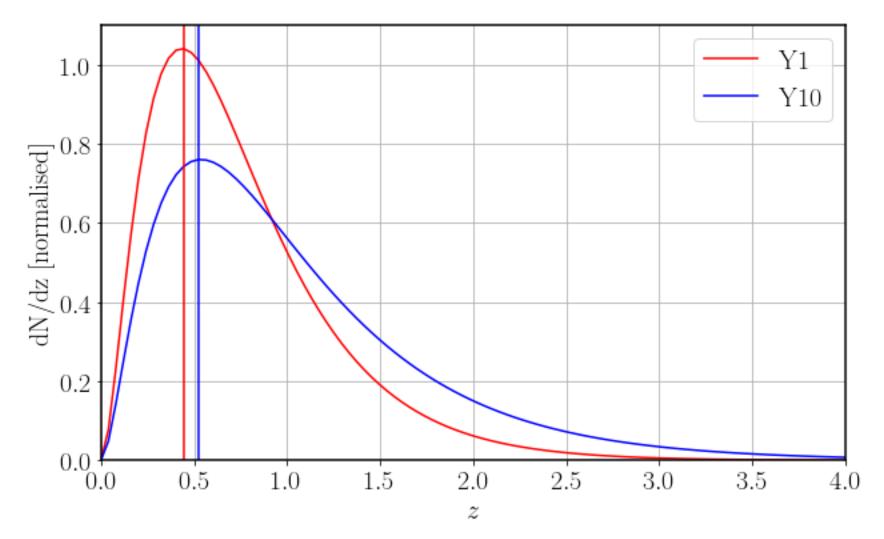
Inconsistent with CMB dipole expectation at $\sim 5\sigma$!



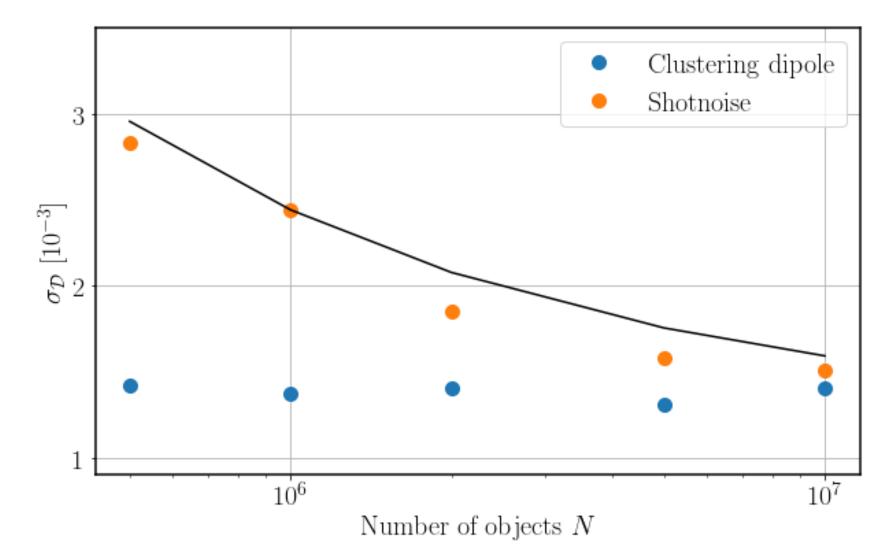


Testing the isotropy of the Universe with Rubin LSST

DESC Project #252



From Fig. F2 from LSST SRD [1809.01669]



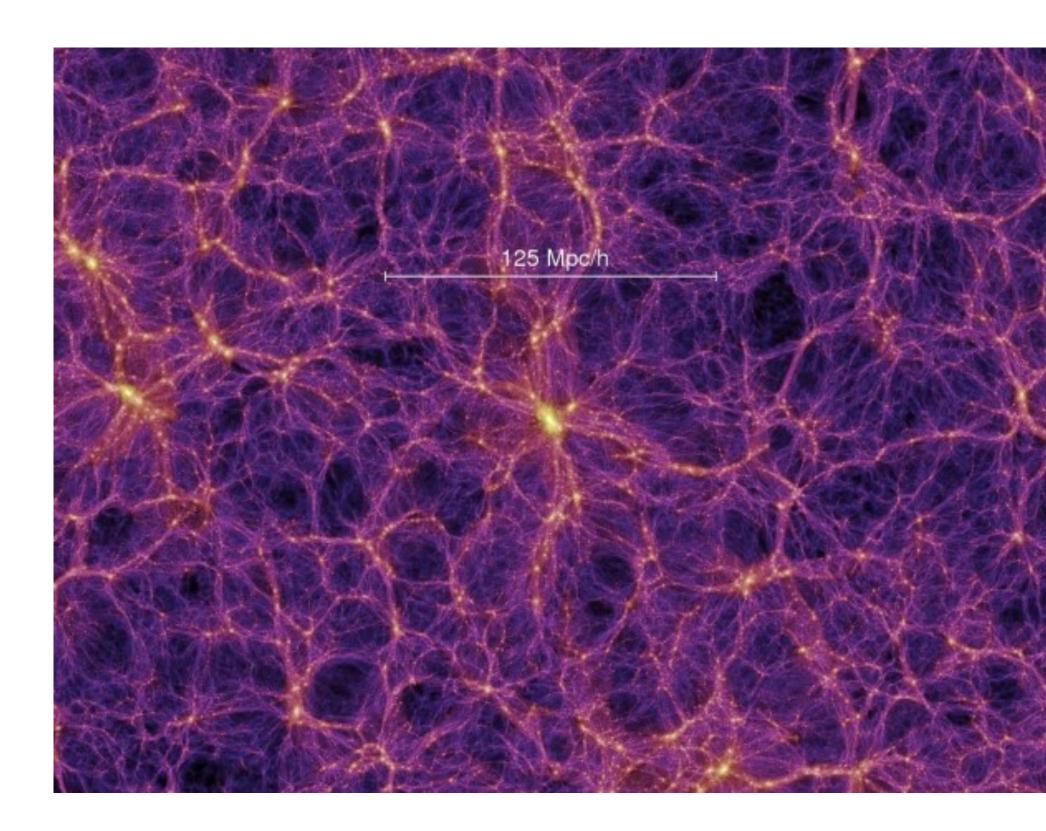
		LSST	Euclid
Obs. parameters	$N_{ m tot}$	10^{9}	10^{9}
	$\sigma_z/(1+z)$ and σ_ϕ	5%	5%
	$z_{ m min} ~{ m and} ~\phi_{ m min}$	0.2	0.2
	$f_{ m sky}$	40%	38%
Forecast	$\sigma(eta)/eta$	1.4%	1.3%
	$\langle heta_eta angle$	1.2°	0.9°
	$\sigma(d_{ m int})/d_{ m int}^{ m t}$	4.6%	4%
	$\langle heta_{ m int} angle$	3.1°	2.7°

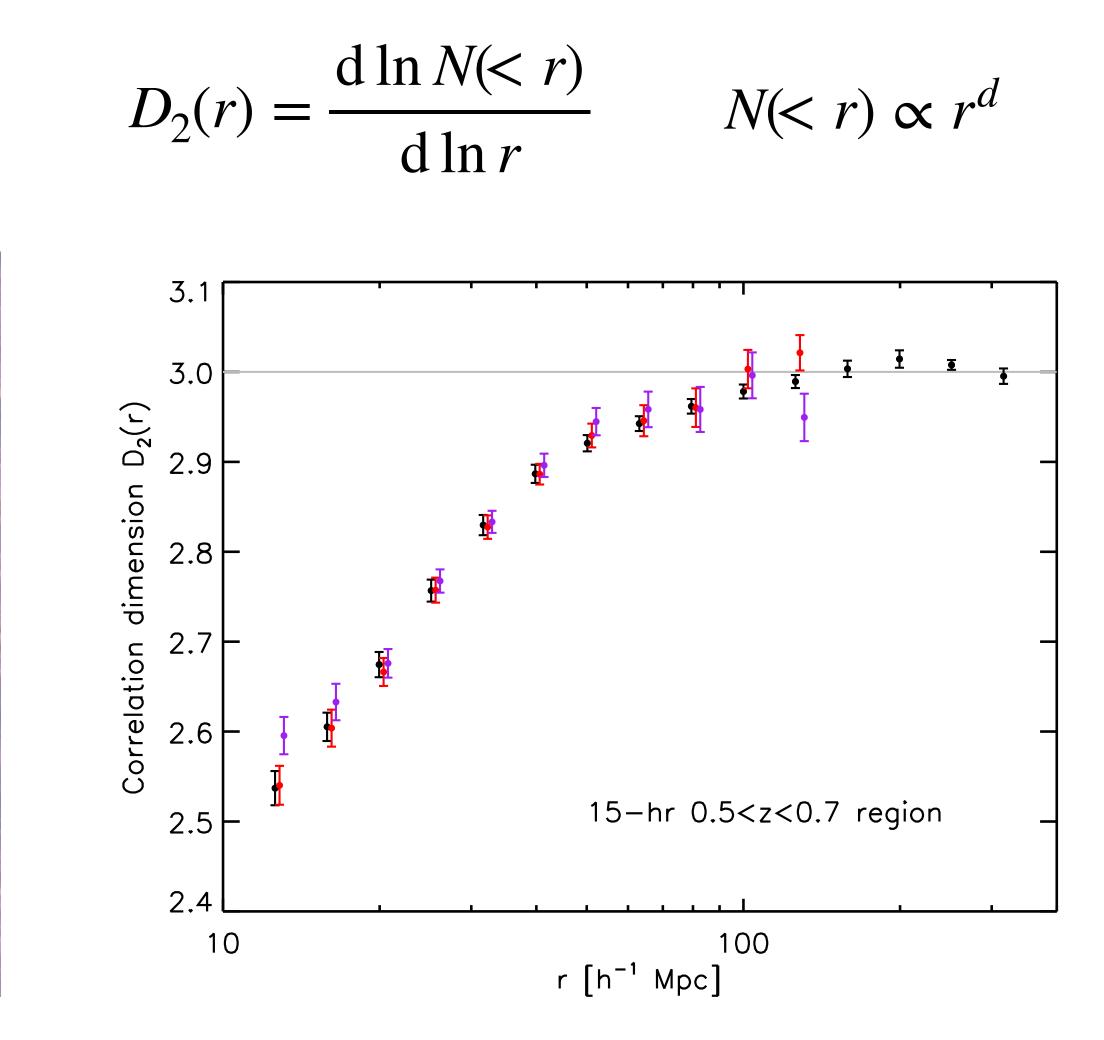
Table 1 from Nadolny et al. [2106.05284]; see also Dalang et al. [2209.12812]

Testing the homogeneity of the cosmic matter field

DESC Project #253

Estimator of homogeneity: Fractal dimension

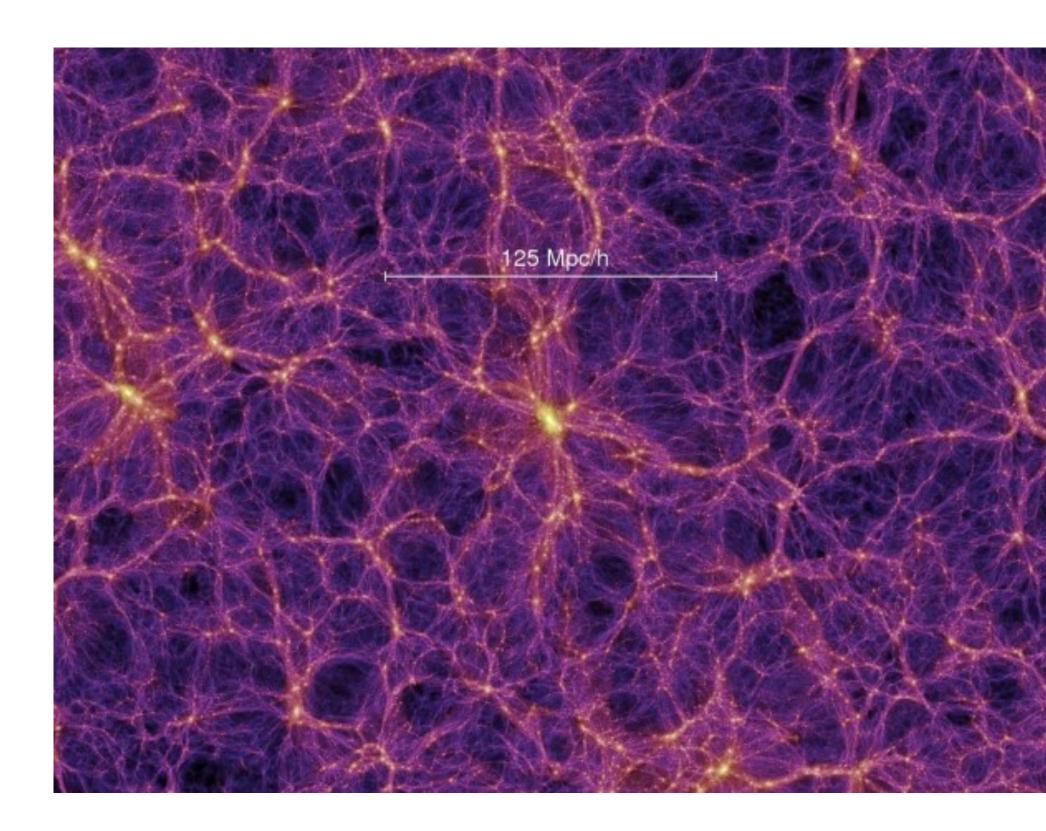


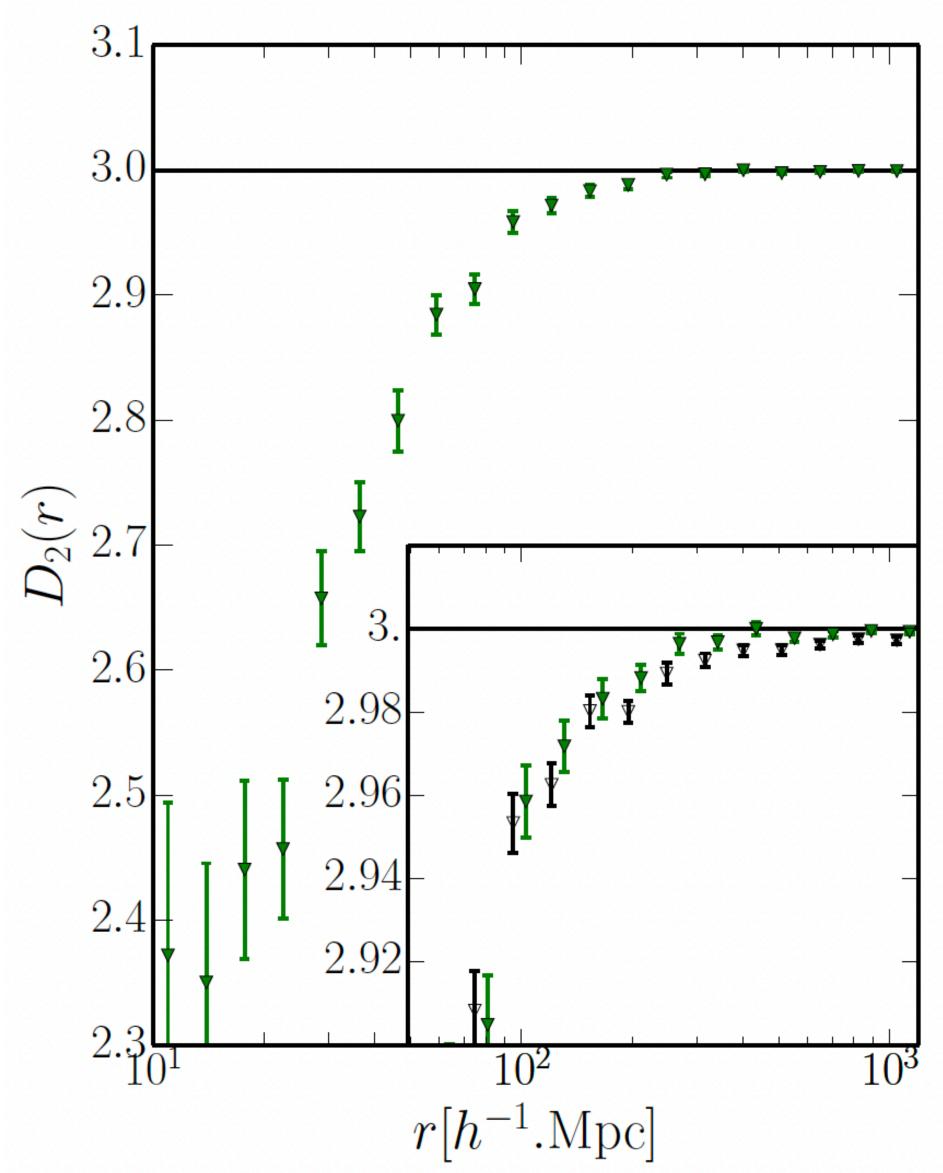


Testing the homogeneity of the cosmic matter field

DESC Project #253

Estimator of homogeneity: Fractal dimension





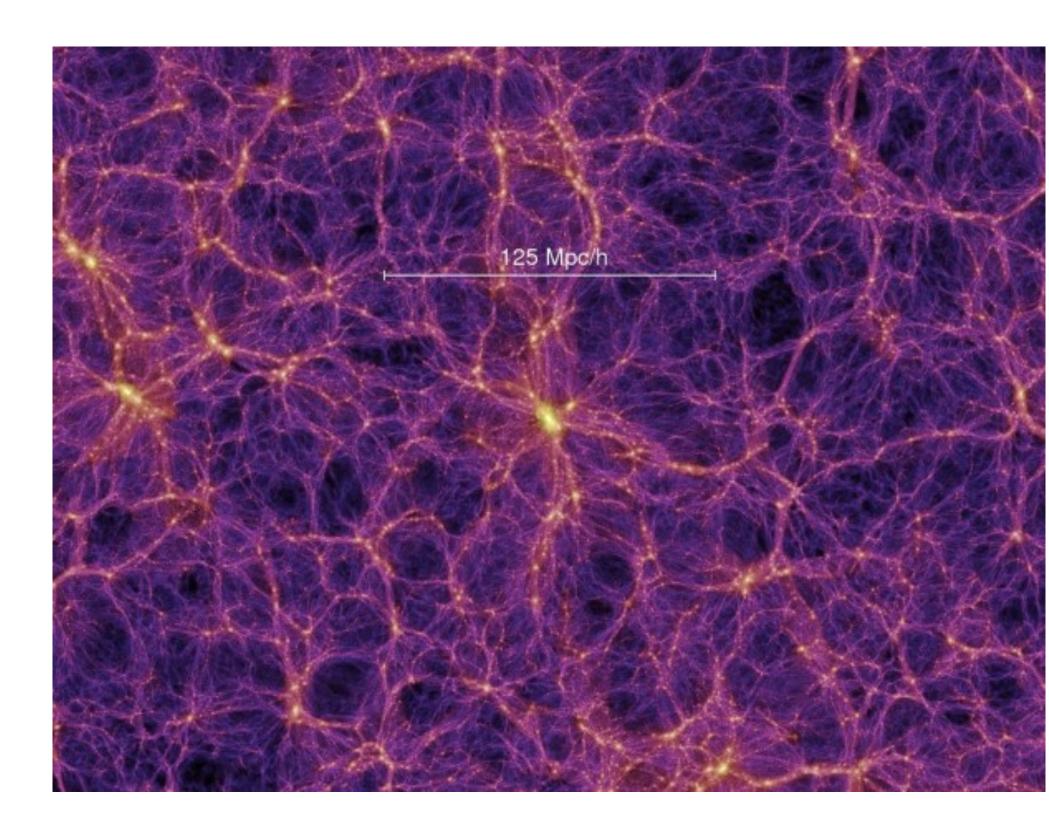
Laurent et al. (2016) [1602 2.09010

Testing the homogeneity of the cosmic matter field

DESC Project #253

Estimator of homogeneity: Fractal dimension for projected fields

Alonso et al. (2014) [1312.0861] + Alonso et al. (2015) [1412.5151]



 $H_2(\theta) = \frac{d \ln N(<\theta)}{d \ln V(\theta)}$

Collapsing radial dimension: photo-z + no model-dependency for distances

Incompleteness, selection function, and Gal. contamination must still be addressed

When have we reached the scale of homogeneity? — Mocks...

Testing tilted cosmology (in just one slide)

DESC Project #254

Is our universe better described by theoretical models that inherently contain anisotropies?

If so:

Estimators of homogeneity affected? *e.g.*, Heinesen [2006.15022]

Do local bulk flows affect measurements of cosmological quantities? e.g., Filippou&Tsagas [2003.01186]

Global bulk flows present? e.g., Domenech et al. [2207.01569]. See also Gunn (1988), and Turner (1991)

Different topology behind anisotropies? e.g., Constantin et al. [2212.03234], Awwad&Prokopec [2211.16893]; also Ellis et al. (1985) Phys.Rep. 124

Addressing these questions might require a more general approach to analysing data, e.g., peculiar velocities etc.

Ellis et al. (1985) Phys.Rep. 124, 5&6, pp.315-417



Testing the Cosmological principle with Rubin LSST

High-redshift galaxy catalogs from *Rubin LSST* will measure statistical isotropy and homogeneity

- -Measure projected fractal dimension
- Space for many synergies with other surveys!
- Mostly same data products and requirements as other LSS analyses

Lower redshift measurements, such as SNIa catalogs allow for testing specific "beyond LCDM" models dubbed "tilted cosmologies"

Join our DESC projects!

#252 Testing the isotropy of the universe #253 Testing the homogeneity of the cosmic matter field #254 Testing tilted cosmology

Current members: David Alonso, Farrukh Azfar, Biprateep Dey, Eric Gawiser, Mustapha Ishak, Jon Loveday, Erick Pasten, Mohamed Rameez, Animesh Sah, Subir Sarkar, Ian Shipsey, Jeff Tseng, Tony Tyson, Sebastian von Hausegger

— Ellis&Baldwin ``84 and related tests at high significance even separately in redshift slices